

Miami-Dade Community College
MAC 2311 Calculus and Analytic Geometry 1

Course Description: Topics include: Limits; continuity; differentiation of algebraic and transcendental functions; differentials; introduction to integration and the Fundamental Theorem of Calculus; applications. (5-hrs. lecture)

Pre-requisite: MAC 1114 and MAC 1140, or MAC 1147, with a grade of C or better or equivalent.

Course Competencies:

Competency 1: The Student will demonstrate knowledge of limits by:

- a. Computing limits at a point and at infinity algebraically,
- b. Finding limits using L'Hopital's Rule,
- c. Applying the definition of continuity,
- d. Determining where a function is continuous or discontinuous.

Competency 2: The Student will demonstrate knowledge of differentiation by:

- a. Defining the derivative of a function as a limit,
- b. Finding the derivative of a function using the definition,
- c. Finding the equation of the line tangent to a curve at a point using a derivative,
- d. Finding the rate of change of a function using a derivative,
- e. Finding derivatives of polynomial, trigonometric, exponential, logarithmic, and hyperbolic functions using differentiation rules,
- f. Finding derivatives using the chain rule,
- g. Implicitly differentiating equations,
- h. Computing higher order derivatives,
- i. Determining maximum and minimum points of a function and intervals where it increases or decreases,
- j. Determining points of inflection of a function and intervals where it is concave upward or concave downward,
- k. Using the first and second derivative tests to find local extrema,
- l. Applying Rolle's theorem and the mean value theorem,
- m. Solving optimization problems,
- n. Solving problems involving related rates.

Competency 3: The Student will demonstrate knowledge of integration by:

- a. Finding antiderivatives involving polynomial, trigonometric, inverse trigonometric, exponential, logarithmic, and hyperbolic functions,
- b. Evaluating a definite integral as a limit of a Riemann sum,
- c. Computing the average value of a function over an interval,
- d. Computing definite integrals using the fundamental theorem of calculus,
- e. Solving applied problems using definite integrals,
- f. Finding indefinite integrals with a change of variables,
- g. Finding the area or regions under and between curves,
- h. Finding the volume of solids of revolution.